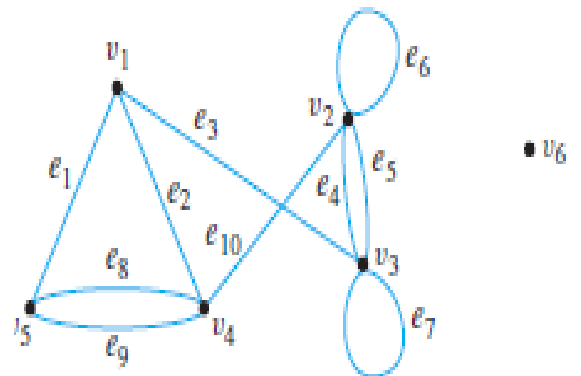


**I.** Define the following:

- |                       |                          |
|-----------------------|--------------------------|
| 1. Simple graph       | 15. Rooted tree          |
| 2. Multi graph        | 16. Complete n-tree      |
| 3. Loop               | 17. Offspring            |
| 4. Incident           | 18. Leaves               |
| 5. Parallel Edge      | 19. Level of tree        |
| 6. Regular graph      | 20. Height of tree       |
| 7. Complete graph     | 21. Walk                 |
| 8. Connected graph    | 22. Cycle                |
| 9. Disconnected graph | 23. Spanning of tree     |
| 10. Euler circuit     | 24. Sub-tree             |
| 11. Hamiltonian path  | 25. Isomorphism of graph |
| 12. Euler graph       | 26. Trail                |
| 13. Hamiltonian graph | 27. Path                 |
| 14. Tree              | 28. Pendant vertex.      |

**II.** Answer the following question by observing the given graph.

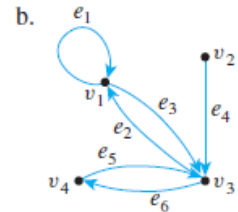
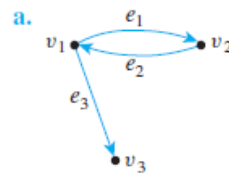
1. Is it simple graph?
2. Write the degree of each vertex and classify it.
3. Write the adjacent vertex to vertex  $v_2$ .
4. Write the all parallel edges
5. Write the closed walk for vertex  $v_1$
6. Is it Euler graph?
7. Is it Hamiltonian graph?
8. Is it connected or disconnected.
9. Write the adjacency matrix.
10. Write any one cycle for vertex  $v_3$ .



**III.** Draw the graph with specified property or explain why no such graph exist.

1. Simple graph with 5 vertices of degree 2, 3, 3, 3, and 5.
2. Simple graph with 4 vertices of degree 1, 2, 3, 4.
3. Graph with 5 vertices with degree 1, 2, 3, 3, 5.
4. Simple graph with 5 vertices of degree 1, 1, 1, 4.

IV. Find the adjacency matrices for the following directed graphs.

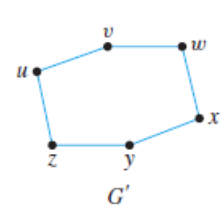
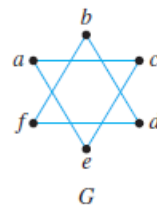
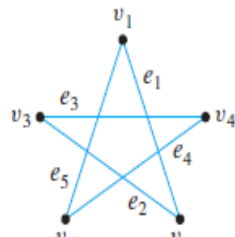
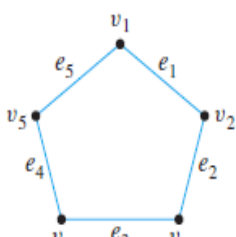


V. Find directed graphs that have the following adjacency matrices:

a. 
$$\begin{bmatrix} 1 & 0 & 1 & 2 \\ 0 & 0 & 1 & 0 \\ 0 & 2 & 1 & 1 \\ 0 & 1 & 1 & 0 \end{bmatrix}$$

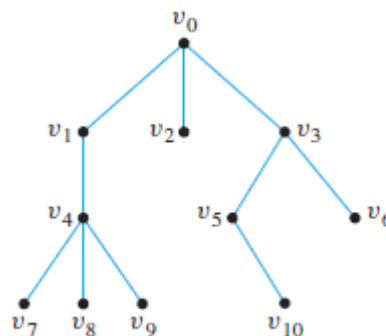
b. 
$$\begin{bmatrix} 0 & 1 & 0 & 0 \\ 2 & 0 & 1 & 0 \\ 1 & 2 & 1 & 0 \\ 0 & 0 & 1 & 0 \end{bmatrix}$$

VI. Check whether following graphs are isomorphic or not?

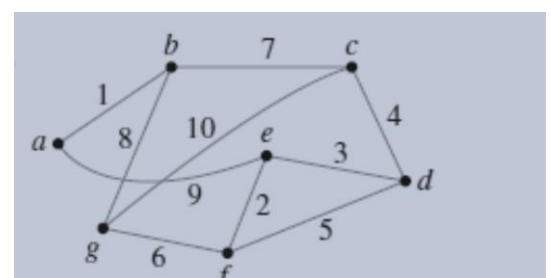


VII. Consider the tree with root  $v_0$  shown below.

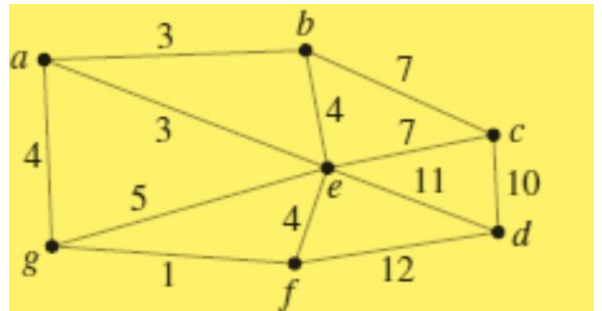
- a. What is the level of  $v_5$ ?
- b. What is the level of  $v_0$ ?
- c. What is the height of this rooted tree?
- d. What are the children of  $v_3$ ?
- e. What is the parent of  $v_2$ ?
- f. What are the siblings of  $v_8$ ?
- g. What are the descendants of  $v_3$ ?



VIII. Use kruskal's algorithm to find minimum spanning tree. Start with vertex 'e'.



- IX.** Use primers algorithm to find minimum spanning tree.  
 Strat with vertex 'e'.

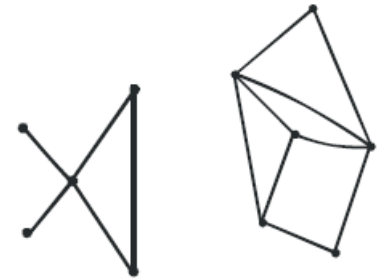
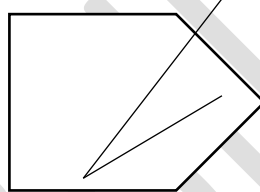
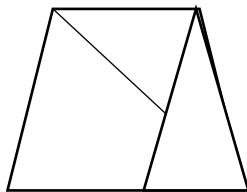


- X.** Construct the tree for the given algebraic expression.

- a.**  $3 - (x + (6 * 4 / (2 - 3)))$   
**b.**  $(x / y) / ((x * 3) - (z + 4))$

- XI.** Which of the following graph is Euler or Hamiltonian?

- XII.** Which of the following graph is connected or disconnected



- XIII.** Draw  $K_5$  graph.